

Towards Zero Touch Configuration of 5G Non-Public Networks for Time Sensitive Networking



OVERVIEW

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OF THE 5G NPN

03. EXPERIMENTAL TESTBED

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Introduction

Industrial environments are adopting **Time Sensitive Networking (TSN)**

- Evolution of Ethernet standards (wired)
- Guarantee deterministic traffic (jitter, latency, etc.)

Factories of the Future will require mobility and remove cables → **TSN over 5G**

Challenges of TSN over 5G

- New procedures and entities to relate TSN and 5G domains
 - Time synchronization, traffic prioritization/mapping
 - DS-TT (device side), NW-TT (network side), TSN Application Function
- New traffic patterns with very demanding Key Performance Indicators (KPIs)
- Dynamic configuration of a complete 5G Non-Public Network (5G-NPN)

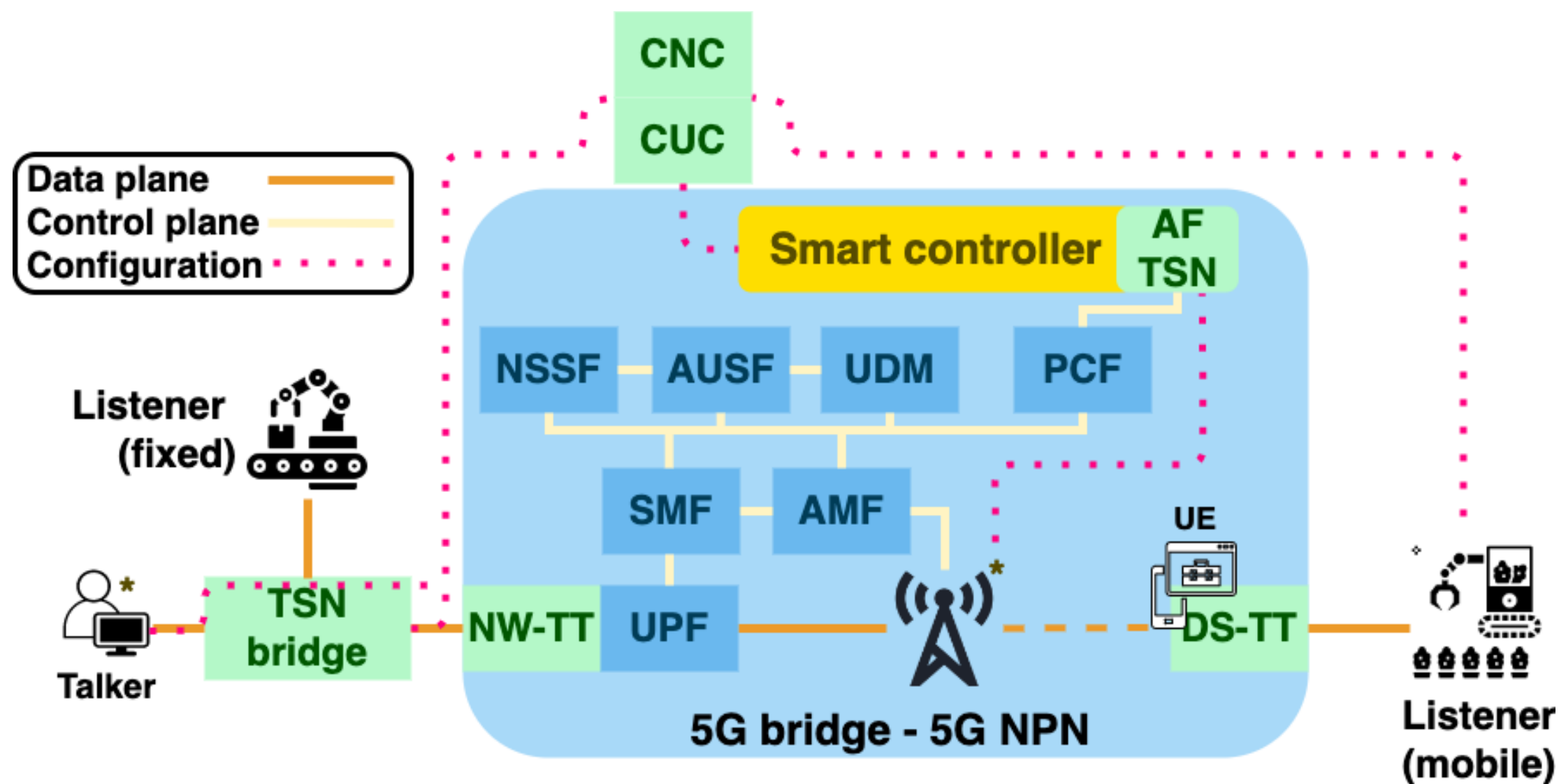
Introduction

Novel approach to automate the network re-configuration process to support TSN over 5G

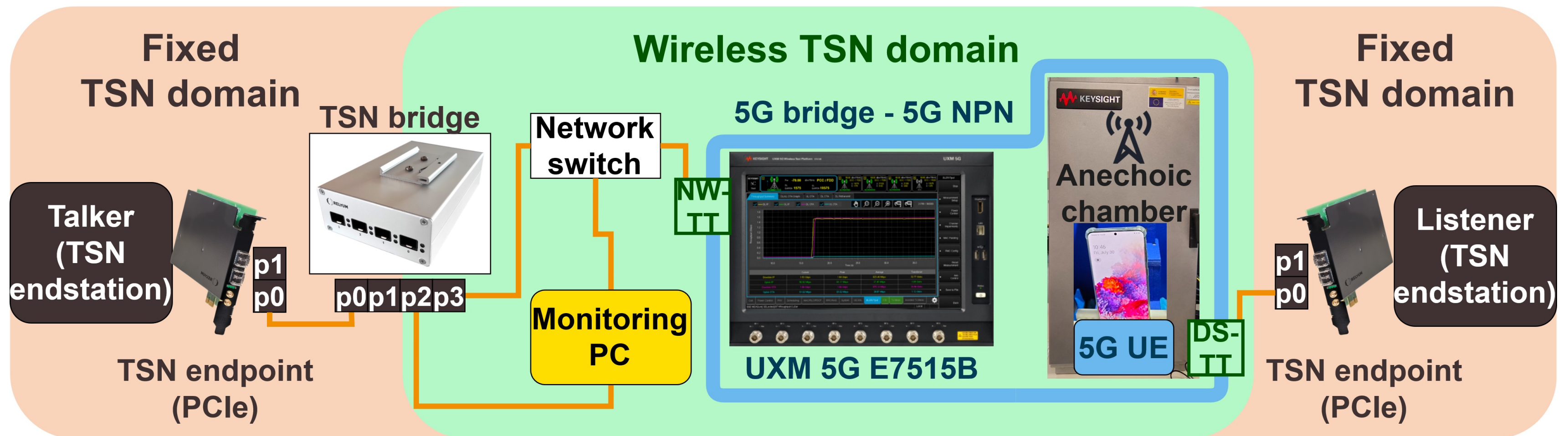
- . Based on a real 5G NPN network
- . Use learning techniques to produce an automata-based model of the network
- . The model is used to predict the network behavior and decide the future configuration to meet the traffic requirements

Zero Touch Configuration of the 5G NPN

- The TSN endpoints (talker) *communicate in advance* their intended traffic pattern and requirements to the CUC/CNC
- The Smart controller beside CUC/CNC and TSN AF entities will be in charge of the 5G NPN configuration (RAN & core network)
- Zero touch approach: without human interaction



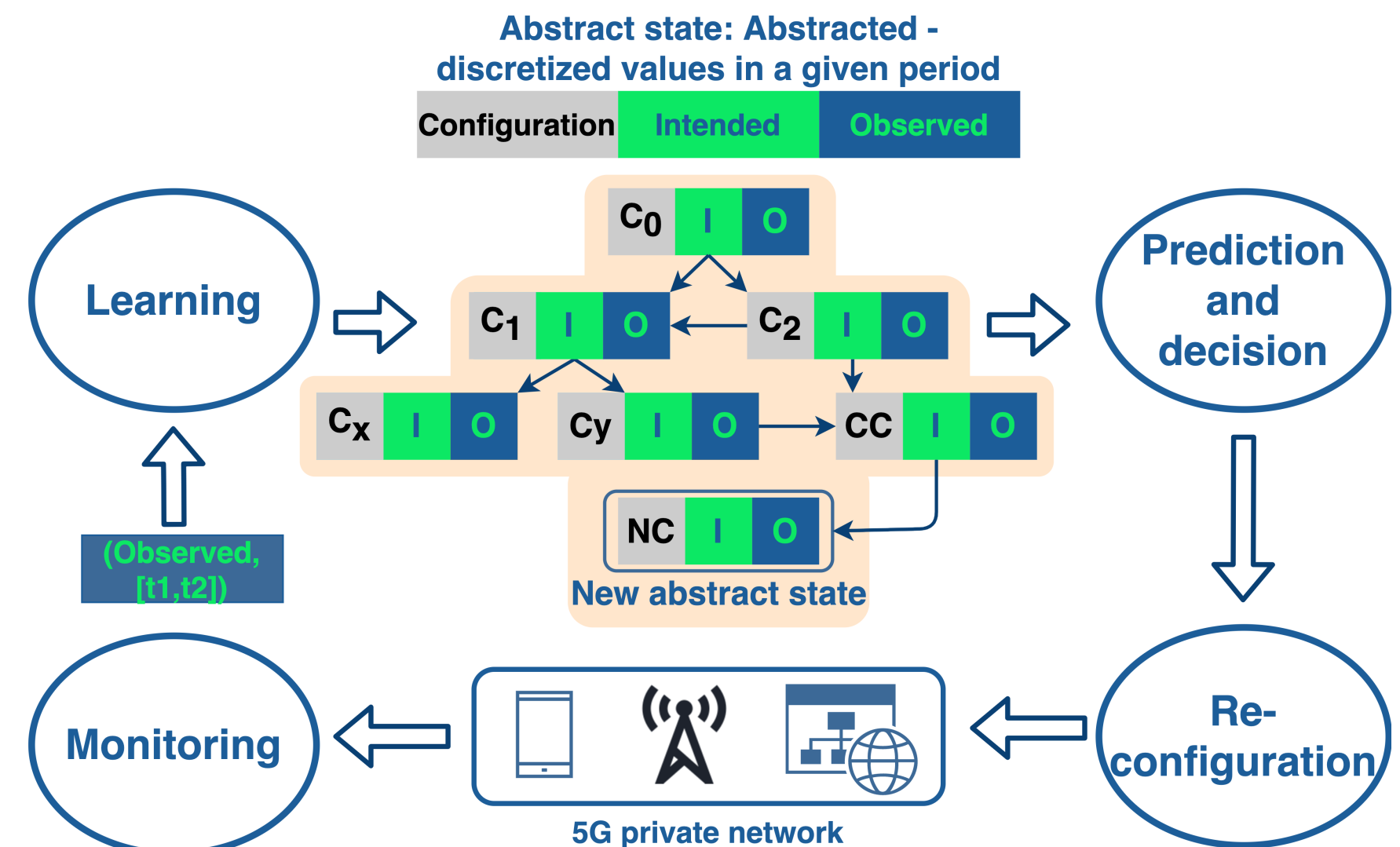
Experimental Testbed



Automata Learning Approach

Close-loop approach

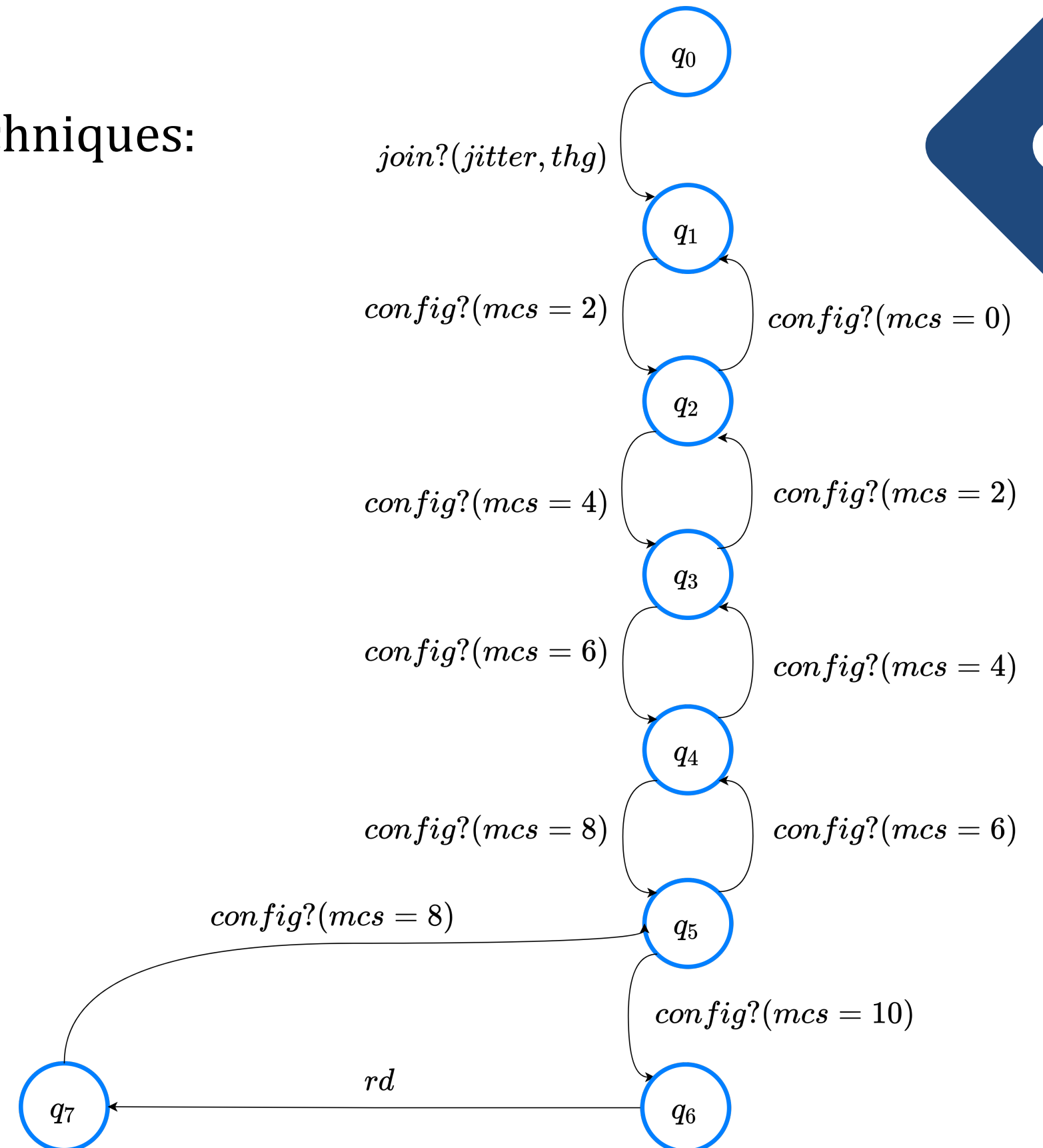
- Monitoring and learning from set of traces
- Automaton construction (abstract states)
 - Configuration
 - Intended traffic
 - Observed traffic
- Prediction and decision
 - Deviation detection
 - Next configuration
- Re-configuration
 - Apply the new values of the parameters



Automata Learning Approach

Advantages of automata learning compared to ML techniques:

- Behavioural model instead of a black box model
 → decisions can be explained
- Analysis of the automata:
 - Equivalence checking
 - Model composition and refinement



Automata Learning Approach

The Learn algorithm composes the automaton resulting from learning a finite set of k traces

Each trace $\pi = s_0 \cdot s_1 \cdots s_{n-1} \in \mathcal{T}$
is a sequence of observed states s_i

Each observed state is a tuple $\langle ts, conf, intd, obsd \rangle$

Algorithm Learn($\downarrow \mathcal{T} = \{\pi^1, \dots, \pi^k\}, \uparrow \mathcal{A}_k$):
 $\mathcal{A}_0 := \langle \{q_0\}, q_0, \emptyset, \{q_0 \rightarrow (conf_d, \bar{t}, \bar{0})\} \rangle$;
 for $i := 1 \dots k$ **do**
 $\mathcal{A}_i := \text{Compose}(\mathcal{A}_{i-1}, \pi^i)$;
 return \mathcal{A}_k ;

Observed states are produced:

- periodically during network execution rd
- when events occurs:
 - $config(conf)? \rightarrow$ change of configuration requested
 - $join(intd)? \rightarrow$ new TSN session with $intd$ KPIs
 - $leave? \rightarrow$ a existing TSN session is closed

Automata Learning Approach

For each state of the trace, the function Compose considers 4 different cases:

1. The observed state is produced by a change in the network configuration

```
case config(confn)? do  
  if confn ≠ confc then  
    q' := A.get(confn, it, 0̄);  
    if q' = None then  
      q' := A.newState(confn, it, 0̄);  
    A.addTran(qc, config(confn)?, q');  
    qc := q';
```

Function Compose ($\uparrow \mathcal{A}, \downarrow \pi = s_0 \cdots s_{n-1}$):

```
qc := q0;  
for i := 0 ... n - 1 do  
  (confc, it, obα) := fA(qc);  
  switch si do  
    case config(confn)? do  
      if confn ≠ confc then  
        q' := A.get(confn, it, 0̄);  
        if q' = None then  
          q' := A.newState(confn, it, 0̄);  
        A.addTran(qc, config(confn)?, q');  
        qc := q';  
    case join(it') do  
      q' := A.get(confc, it', 0̄);  
      if q' = None then  
        q' := A.newState(confc, it', 0̄);  
      if q' ≠ qc then  
        A.addTran(qc, join(it')?, q');  
        qc := q';  
    case leave? do  
      A.addTran(qc, leave?, q0);  
      qc := q0;  
    case ⟨ts, confc, it', ob'⟩ do  
      oα := deviation(it', ob');  
      q' := A.get(confc, it', oα);  
      if q' = None then  
        q' := A.newState(confc, it', oα);  
      if q' ≠ qc then  
        A.addTran(qc, rd, q');  
        qc := q';  
return A;
```

Automata Learning Approach

For each state of the trace, the function Compose considers 4 different cases:

1. The observed state is produced by a change in the network configuration
2. The observed state is produced by a new session

```
case join(it')? do  
   $q' := \mathcal{A}.get(conf_c, it', \bar{0});$   
  if  $q' = \text{None}$  then  
     $q' = \mathcal{A}.newState(conf_c, it', \bar{0});$   
  if  $q' \neq q_c$  then  
     $\mathcal{A}.addTran(q_c, join(it')?, q');$   
     $q_c = q';$ 
```

Function Compose ($\uparrow \mathcal{A}, \downarrow \pi = s_0 \cdots s_{n-1}$):

```
 $q_c := q_0;$   
for  $i := 0 \dots n - 1$  do  
   $(conf_c, it, ob^\alpha) := f_{\mathcal{A}}(q_c);$   
  switch  $s_i$  do  
    case config(conf_n)? do  
      if  $conf_n \neq conf_c$  then  
         $q' := \mathcal{A}.get(conf_n, it, \bar{0});$   
        if  $q' = \text{None}$  then  
           $q' := \mathcal{A}.newState(conf_n, it, \bar{0});$   
           $\mathcal{A}.addTran(q_c, config(conf_n)?, q');$   
           $q_c := q';$   
    case join(it')? do  
       $q' := \mathcal{A}.get(conf_c, it', \bar{0});$   
      if  $q' = \text{None}$  then  
         $q' = \mathcal{A}.newState(conf_c, it', \bar{0});$   
      if  $q' \neq q_c$  then  
         $\mathcal{A}.addTran(q_c, join(it')?, q');$   
         $q_c = q';$   
    case leave? do  
       $\mathcal{A}.addTran(q_c, leave?, q_0);$   
       $q_c := q_0;$   
    case  $\langle ts, conf_c, it', ob' \rangle$  do  
       $o^\alpha = deviation(it', ob');$   
       $q' := \mathcal{A}.get(conf_c, it', o^\alpha);$   
      if  $q' = \text{None}$  then  
         $q' := \mathcal{A}.newState(conf_c, it', o^\alpha);$   
      if  $q' \neq q_c$  then  
         $\mathcal{A}.addTran(q_c, rd, q');$   
         $q_c := q';$   
return  $\mathcal{A};$ 
```


Automata Learning Approach

For each state of the trace, the function Compose considers 4 different cases:

1. The observed state is produced by a change in the network configuration
2. The observed state is produced by a new session
3. The observed state is produced by the end of a session

```
case leave? do  
   $\mathcal{A}.\text{addTran}(q_c, \text{leave?}, q_0);$   
   $q_c := q_0;$ 
```

```
Function Compose ( $\uparrow \mathcal{A}, \downarrow \pi = s_0 \cdots s_{n-1}$ ):  
   $q_c := q_0;$   
  for  $i := 0 \dots n - 1$  do  
     $(\text{conf}_c, it, ob^\alpha) := f_{\mathcal{A}}(q_c);$   
    switch  $s_i$  do  
      case  $\text{config}(\text{conf}_n)?$  do  
        if  $\text{conf}_n \neq \text{conf}_c$  then  
           $q' := \mathcal{A}.\text{get}(\text{conf}_n, it, \bar{0});$   
          if  $q' = \text{None}$  then  
             $q' := \mathcal{A}.\text{newState}(\text{conf}_n, it, \bar{0});$   
           $\mathcal{A}.\text{addTran}(q_c, \text{config}(\text{conf}_n)?, q');$   
           $q_c := q';$   
      case  $\text{join}(it')?$  do  
         $q' := \mathcal{A}.\text{get}(\text{conf}_c, it', \bar{0});$   
        if  $q' = \text{None}$  then  
           $q' = \mathcal{A}.\text{newState}(\text{conf}_c, it', \bar{0});$   
        if  $q' \neq q_c$  then  
           $\mathcal{A}.\text{addTran}(q_c, \text{join}(it')?, q');$   
           $q_c = q';$   
      case leave? do  
         $\mathcal{A}.\text{addTran}(q_c, \text{leave?}, q_0);$   
         $q_c := q_0;$   
      case  $\langle ts, \text{conf}_c, it', ob' \rangle$  do  
         $o^\alpha = \text{deviation}(it', ob');$   
         $q' := \mathcal{A}.\text{get}(\text{conf}_c, it', o^\alpha);$   
        if  $q' = \text{None}$  then  
           $q' := \mathcal{A}.\text{newState}(\text{conf}_c, it', o^\alpha);$   
        if  $q' \neq q_c$  then  
           $\mathcal{A}.\text{addTran}(q_c, rd, q');$   
           $q_c := q';$   
  return  $\mathcal{A};$ 
```

Automata Learning Approach

For each state of the trace, the function Compose considers 4 different cases:

1. The observed state is produced by a change in the network configuration
2. The observed state is produced by a new session
3. The observed state is produced by the end of a session
4. The observed state is produced by time pass

```
case  $\langle ts, conf_c, it', ob' \rangle$  do  
   $o^\alpha = deviation(it', ob');$   
   $q' := \mathcal{A}.get(conf_c, it', o^\alpha);$   
  if  $q' = None$  then  
     $q' := \mathcal{A}.newState(conf_c, it', o^\alpha);$   
  if  $q' \neq q_c$  then  
     $\mathcal{A}.addTran(q_c, rd, q');$   
     $q_c := q';$ 
```

Function Compose ($\uparrow \mathcal{A}, \downarrow \pi = s_0 \cdots s_{n-1}$):

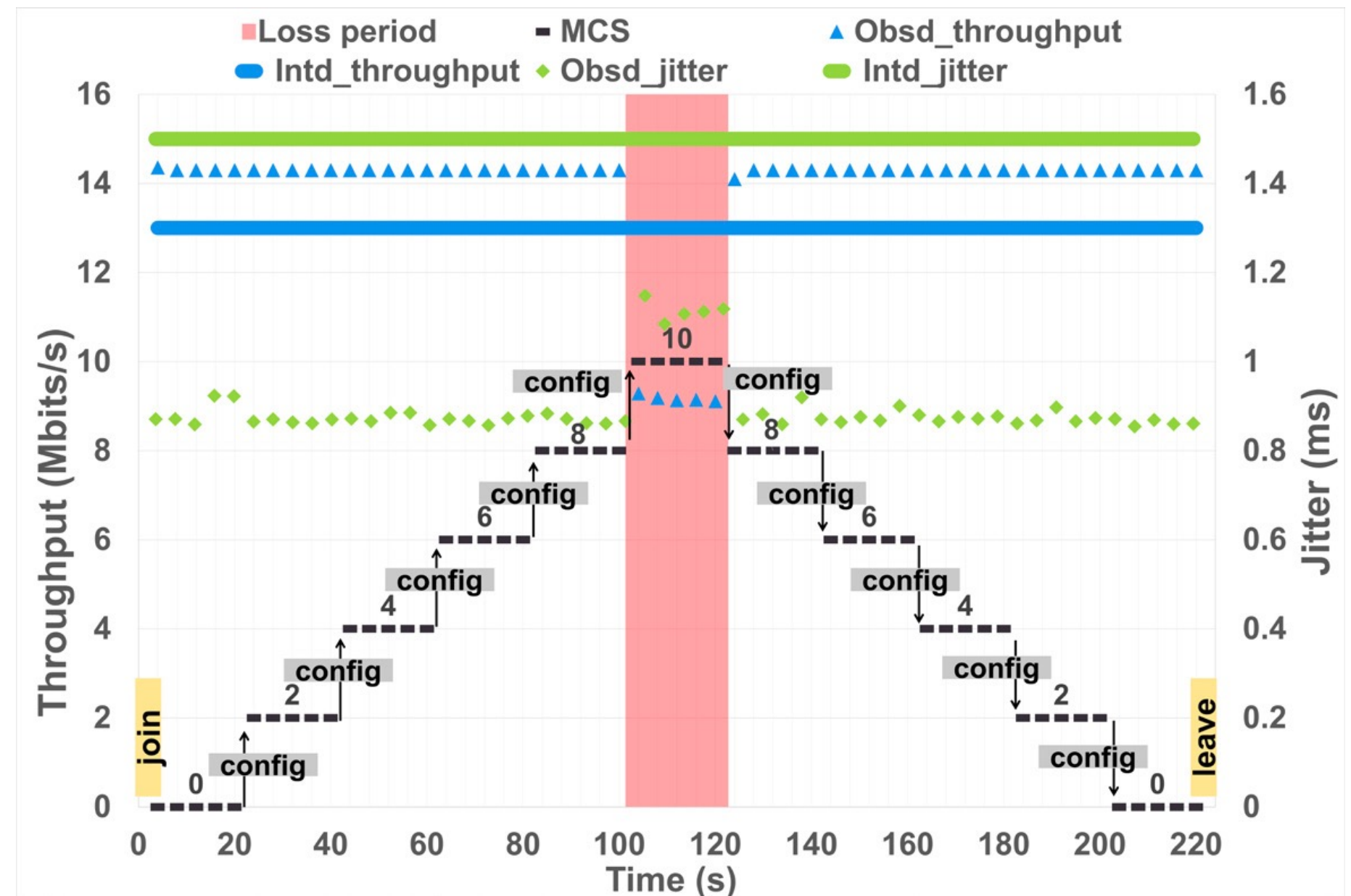
```
 $q_c := q_0;$   
for  $i := 0 \dots n - 1$  do  
   $(conf_c, it, ob^\alpha) := f_{\mathcal{A}}(q_c);$   
  switch  $s_i$  do  
    case  $config(conf_n)?$  do  
      if  $conf_n \neq conf_c$  then  
         $q' := \mathcal{A}.get(conf_n, it, \bar{0});$   
        if  $q' = None$  then  
           $q' := \mathcal{A}.newState(conf_n, it, \bar{0});$   
         $\mathcal{A}.addTran(q_c, config(conf_n)?, q');$   
         $q_c := q';$   
    case  $join(it')?$  do  
       $q' := \mathcal{A}.get(conf_c, it', \bar{0});$   
      if  $q' = None$  then  
         $q' = \mathcal{A}.newState(conf_c, it', \bar{0});$   
      if  $q' \neq q_c$  then  
         $\mathcal{A}.addTran(q_c, join(it')?, q');$   
         $q_c = q';$   
    case  $leave?$  do  
       $\mathcal{A}.addTran(q_c, leave?, q_0);$   
       $q_c := q_0;$   
    case  $\langle ts, conf_c, it', ob' \rangle$  do  
       $o^\alpha = deviation(it', ob');$   
       $q' := \mathcal{A}.get(conf_c, it', o^\alpha);$   
      if  $q' = None$  then  
         $q' := \mathcal{A}.newState(conf_c, it', o^\alpha);$   
      if  $q' \neq q_c$  then  
         $\mathcal{A}.addTran(q_c, rd, q');$   
         $q_c := q';$   
return  $\mathcal{A};$ 
```


Construction of the learned automaton

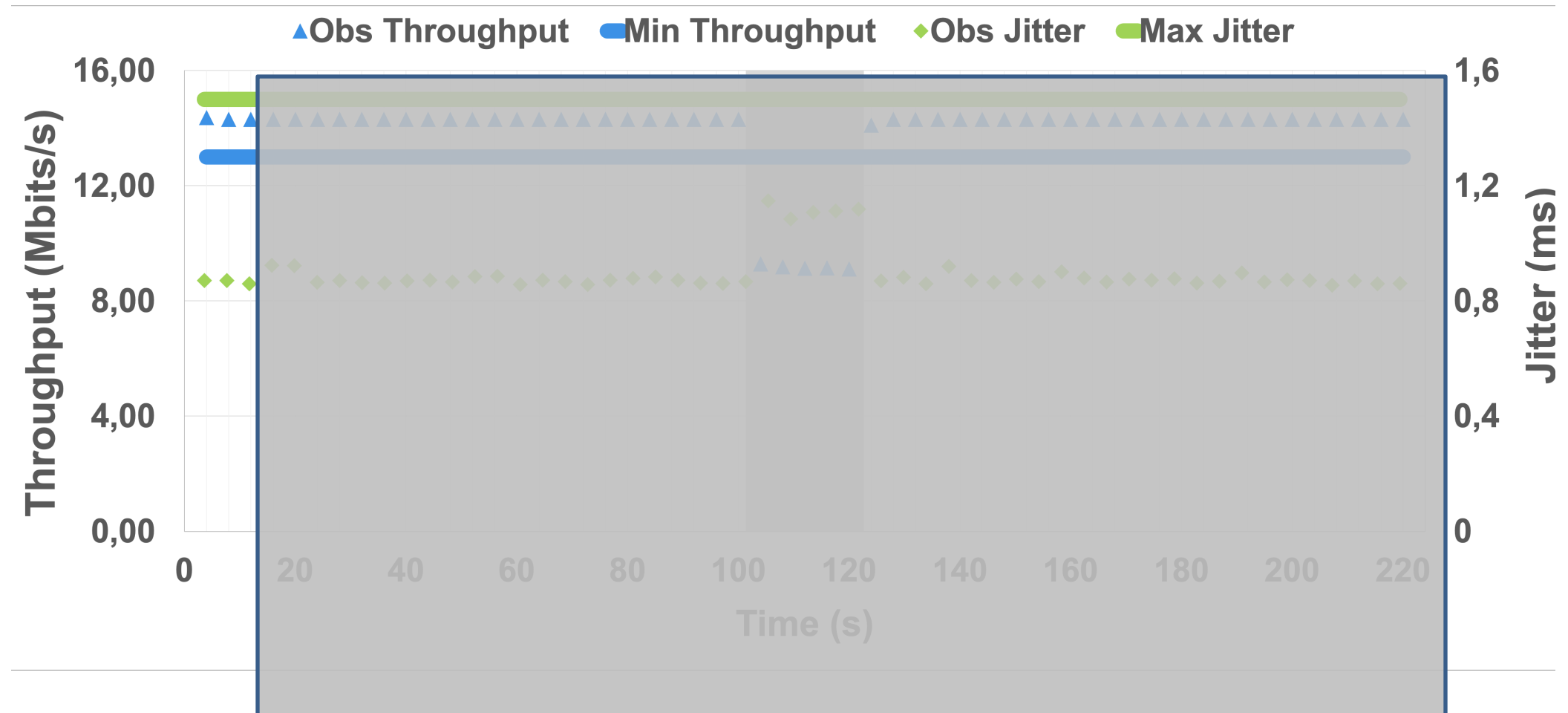
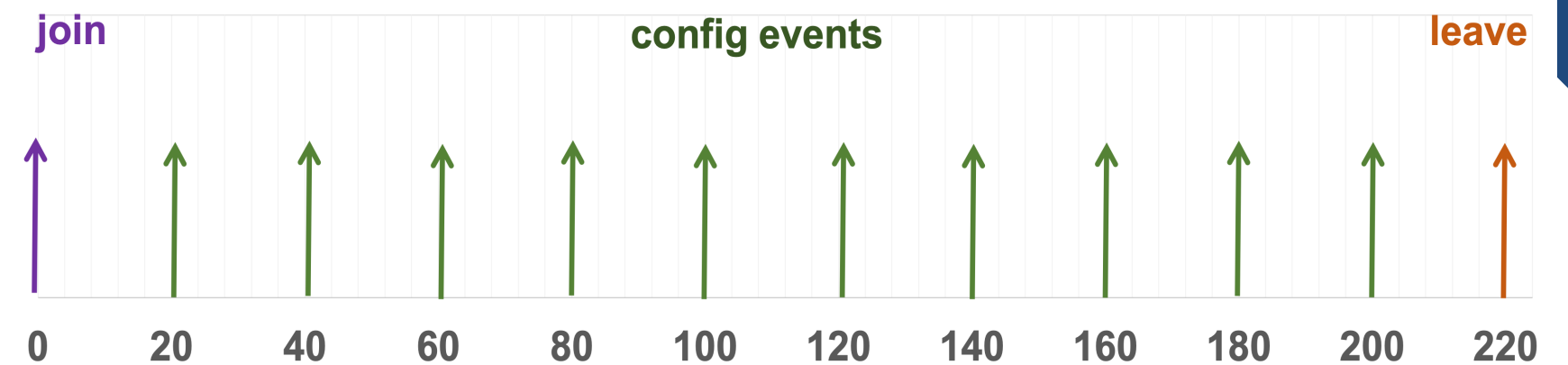
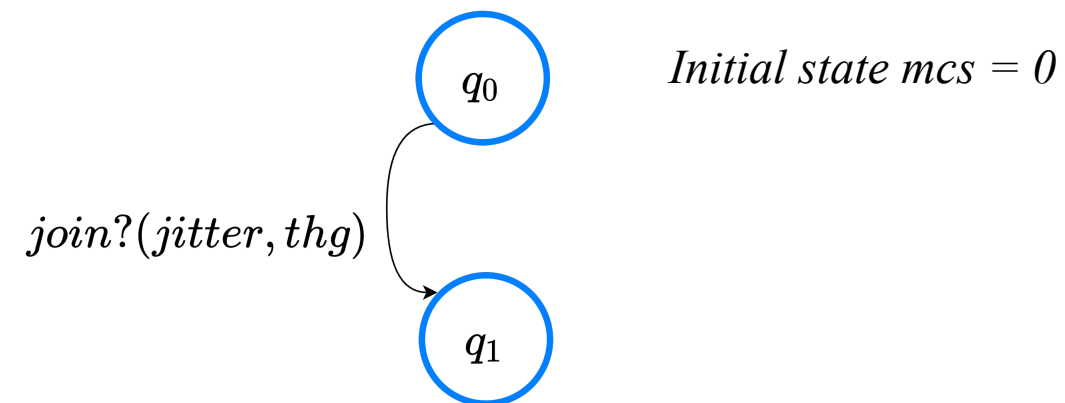
Sample trace:

- At time 0 sec. a new session starts (join) → Request max jitter and min throughput
- At time 220 sec. the session ends (leave)
- Each 20 sec. there is a configuration change
 - MCS in [0,10]
- **Each 4 sec. a new state is observed**

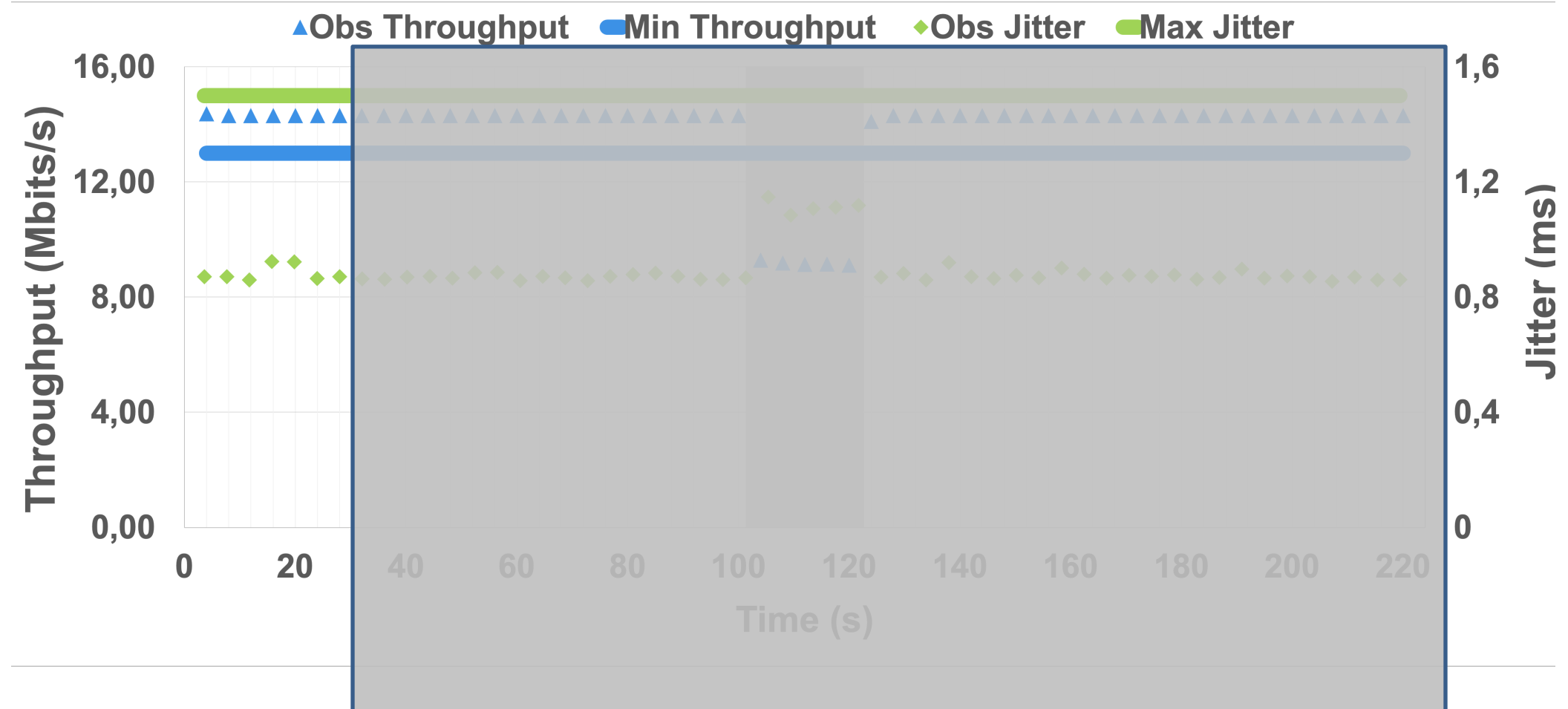
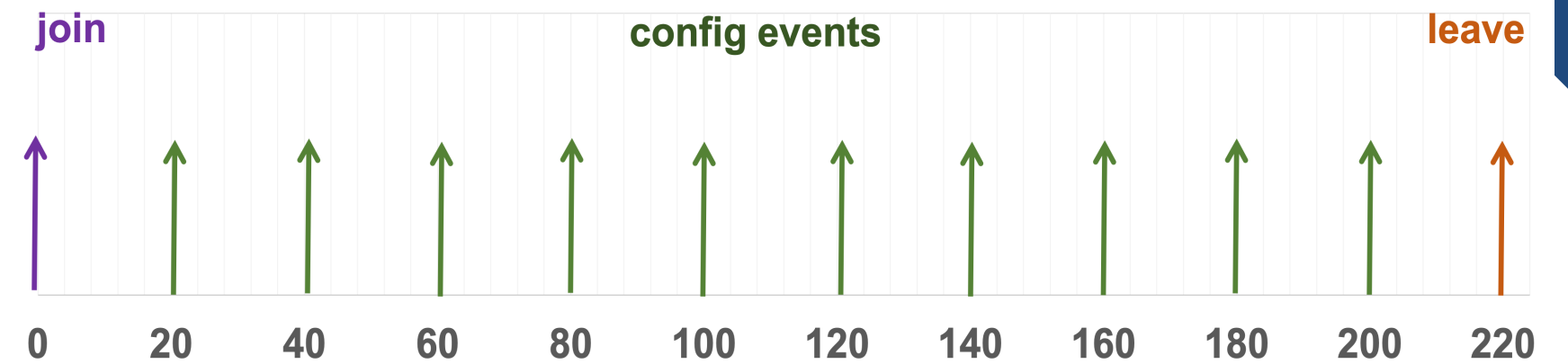
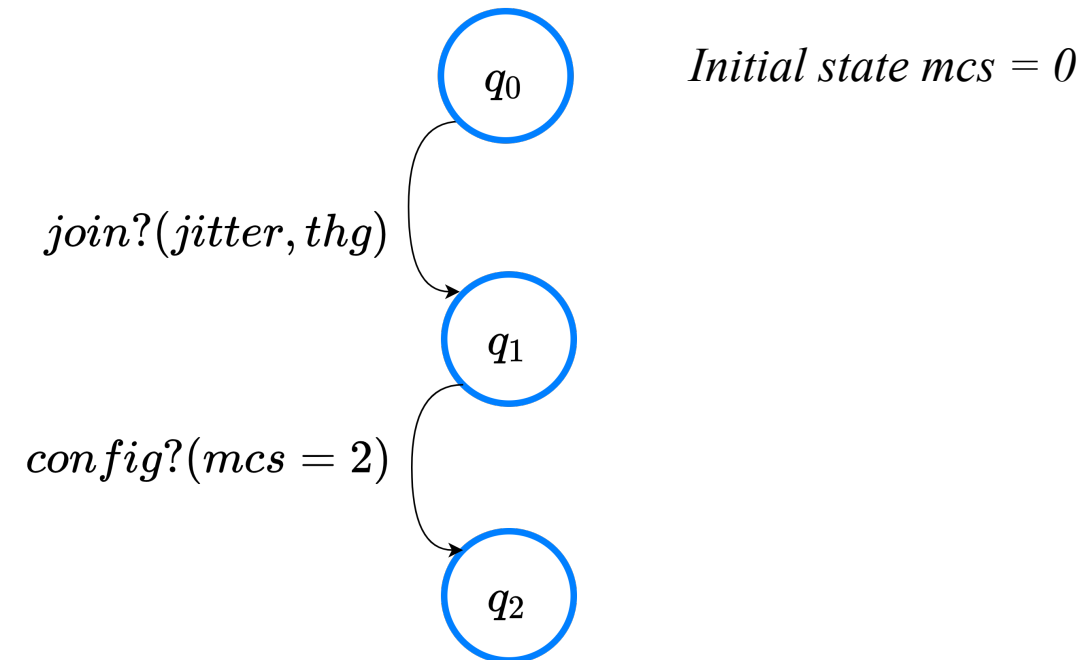
Given this sequence of events,
how the Learn Algorithm works ?



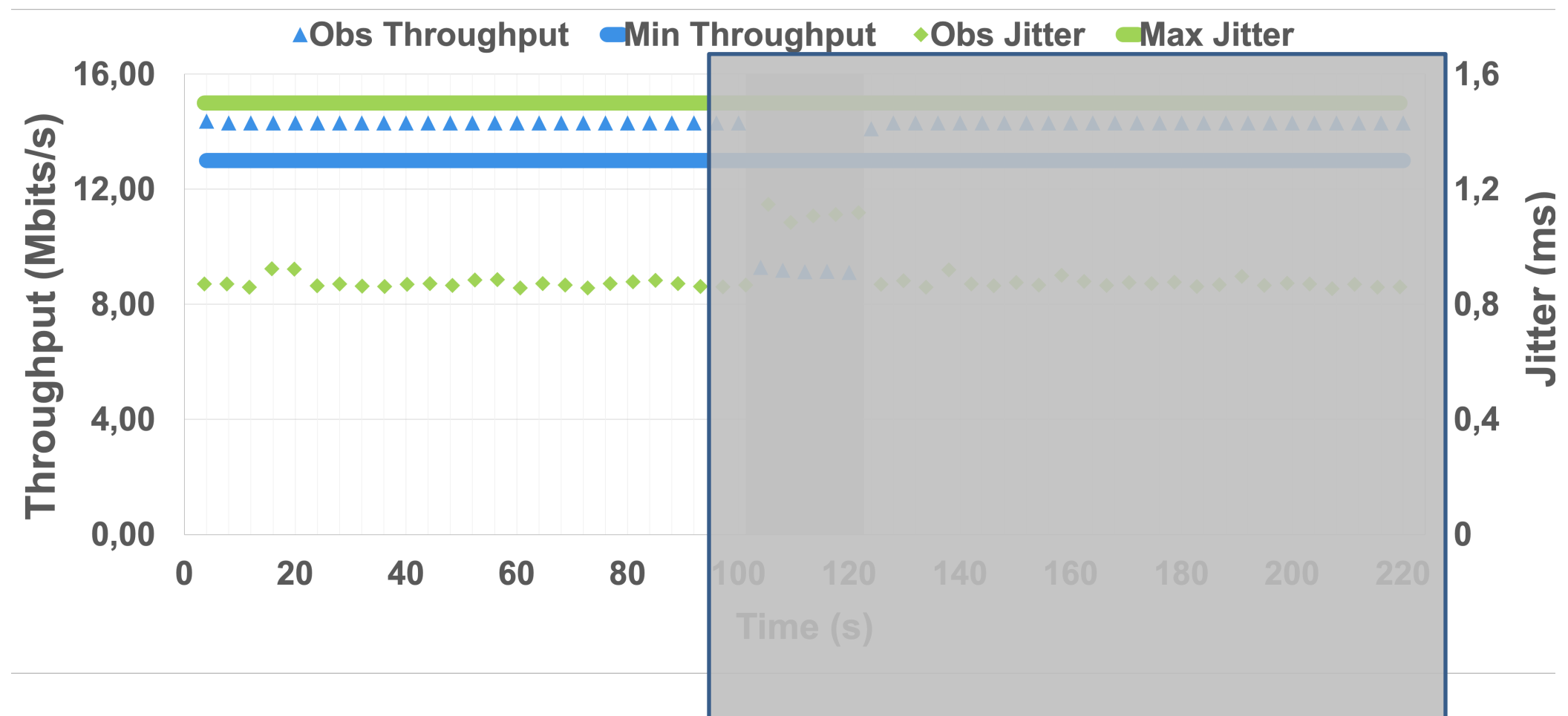
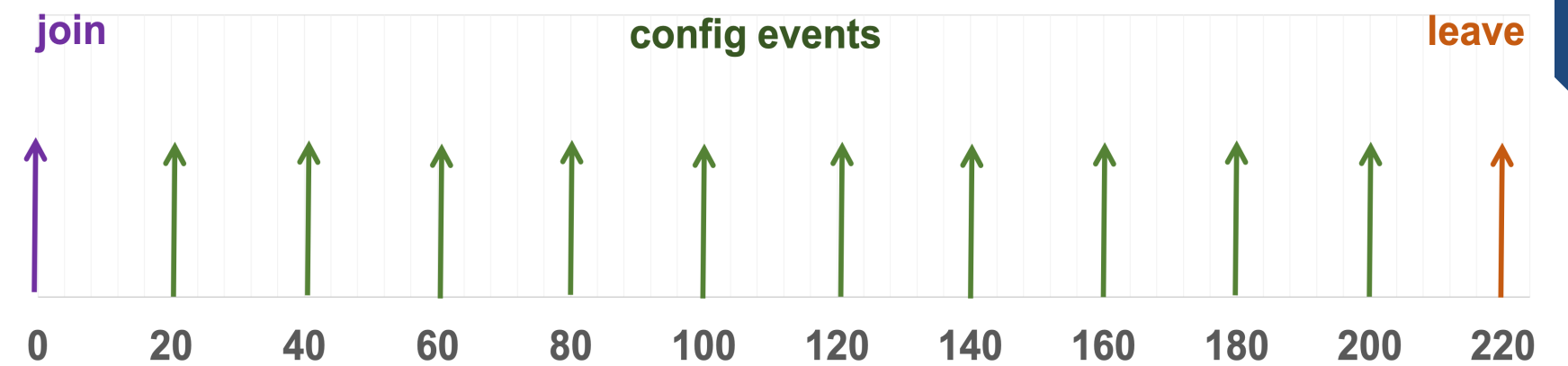
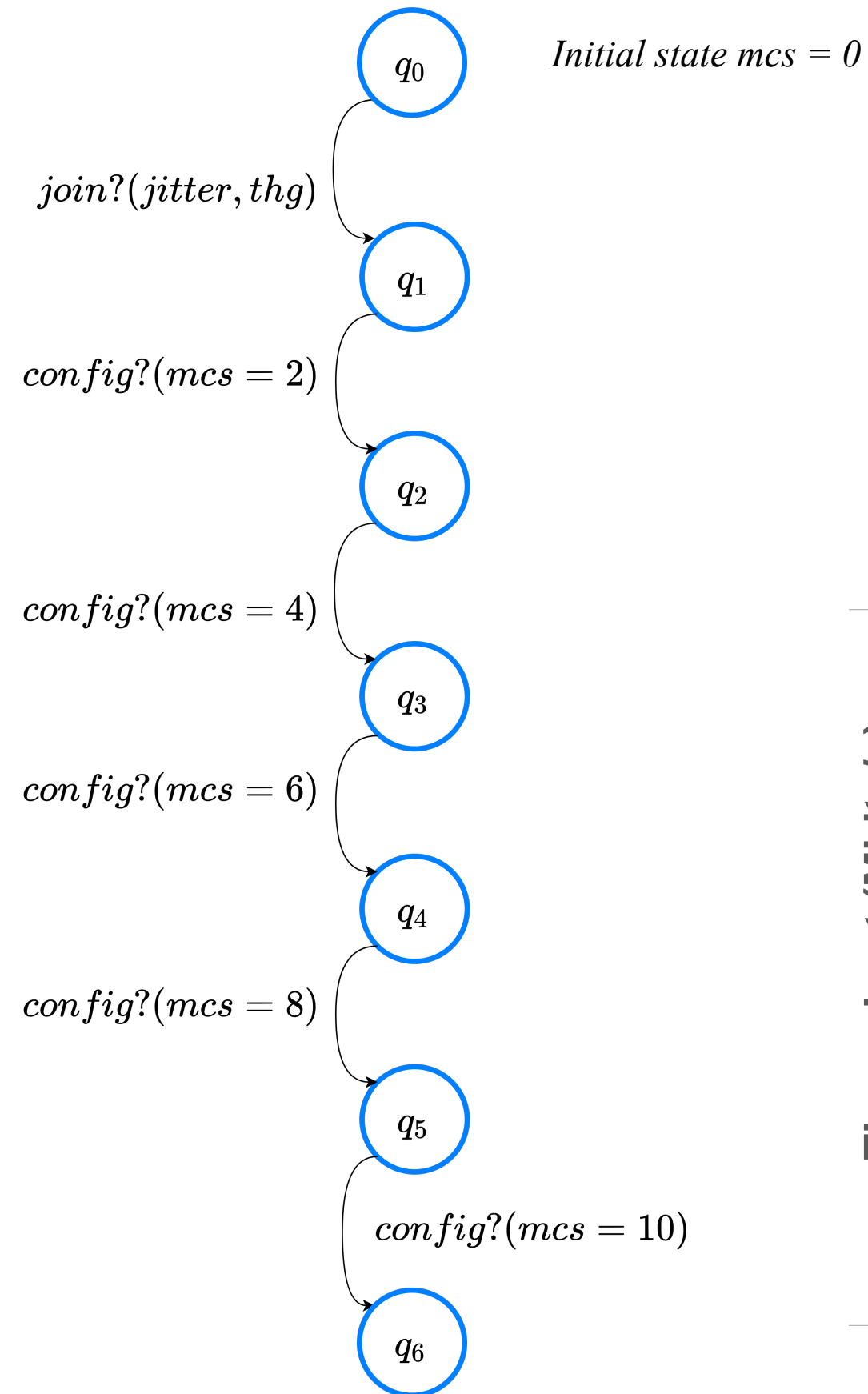
Construction of the learned automaton



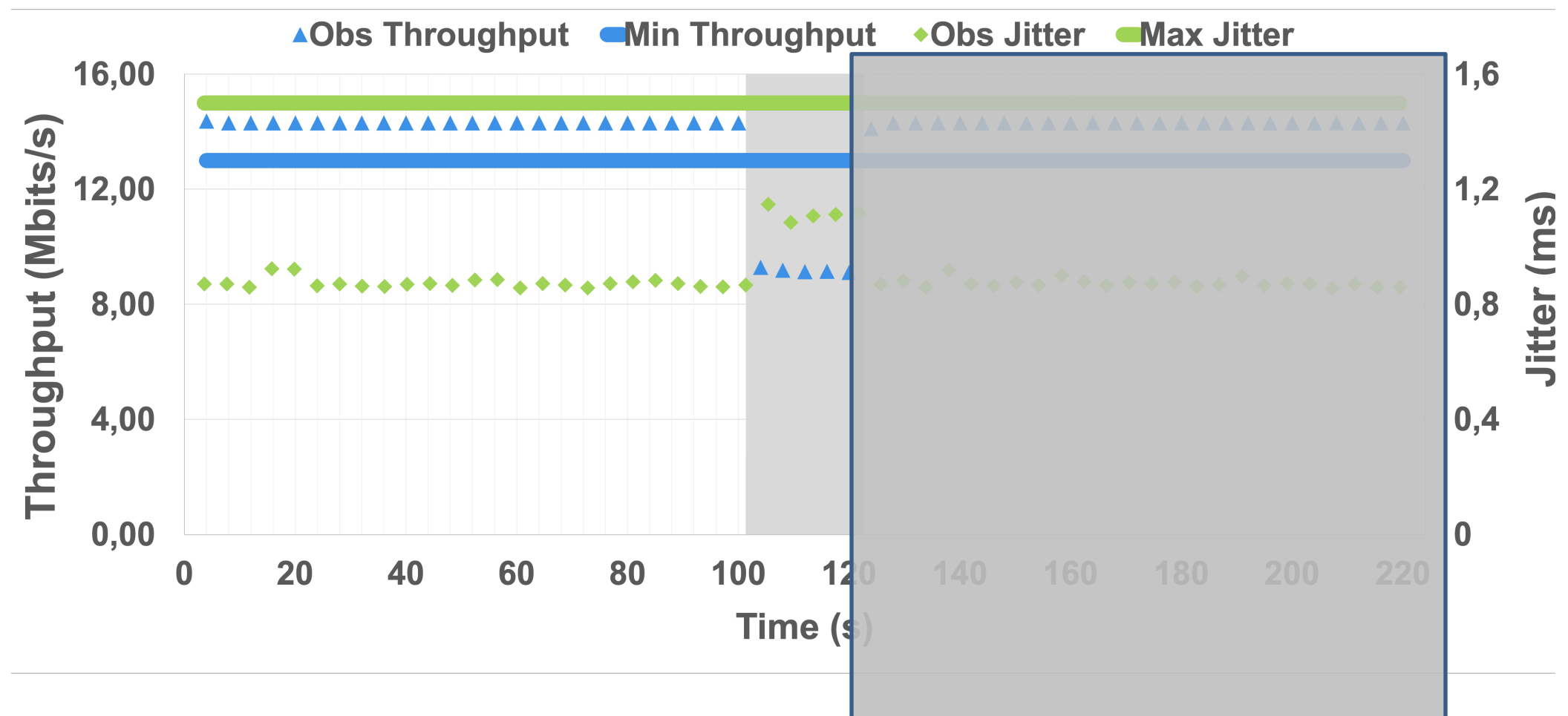
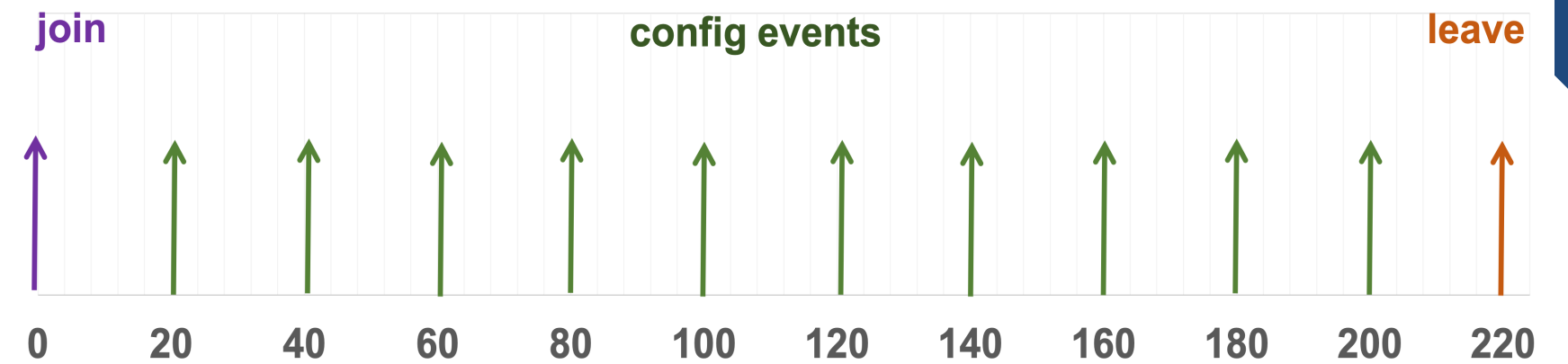
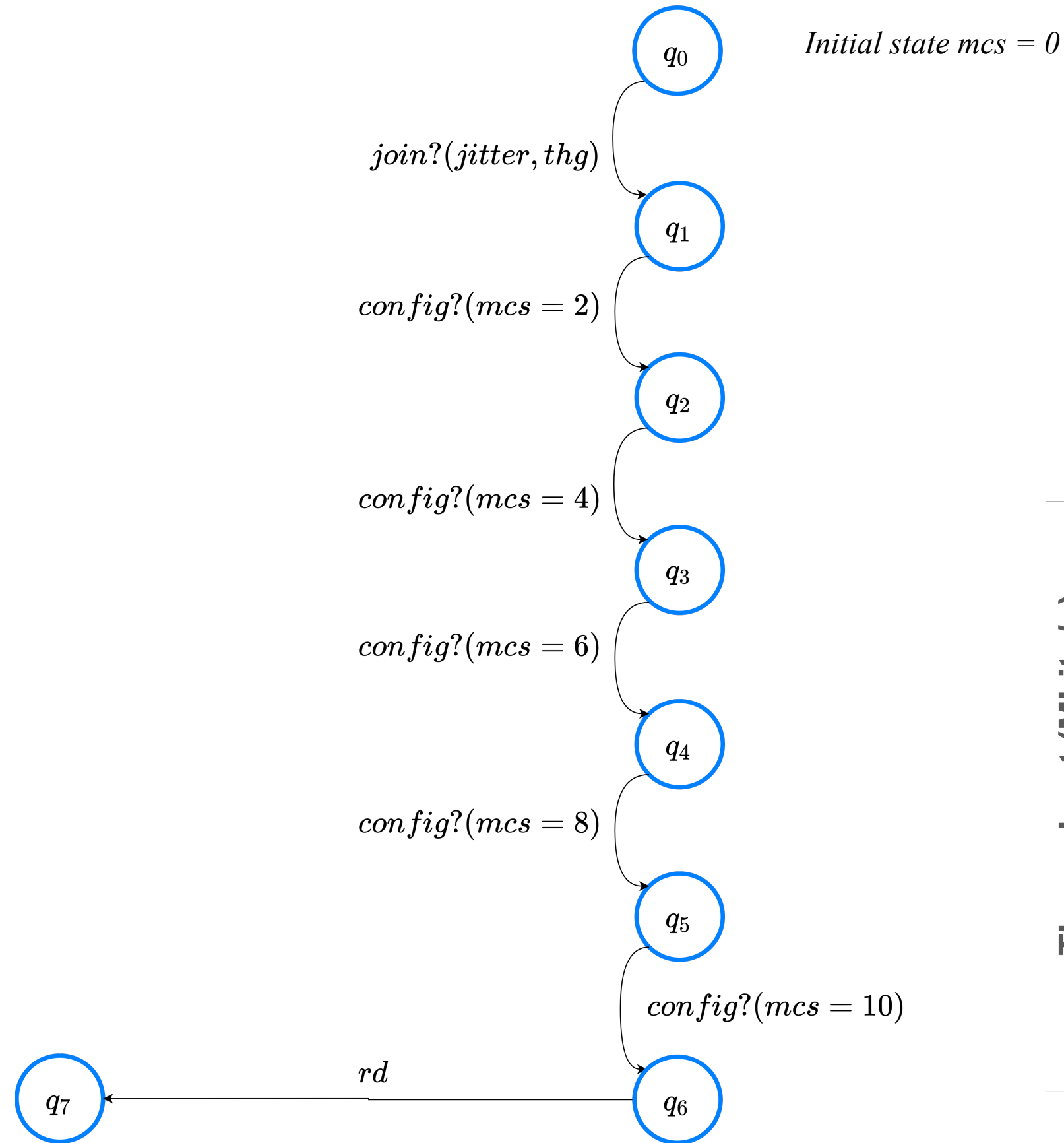
Construction of the learned automaton



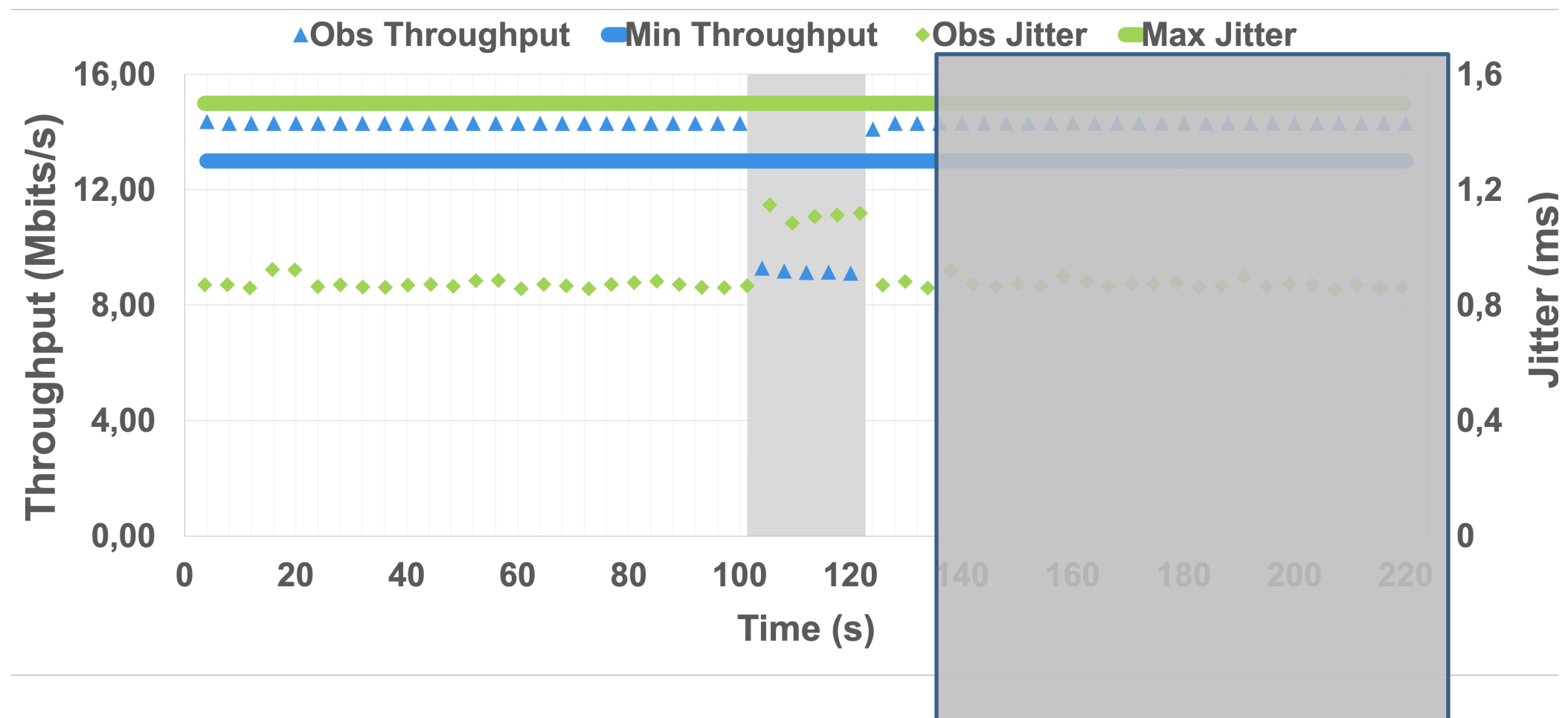
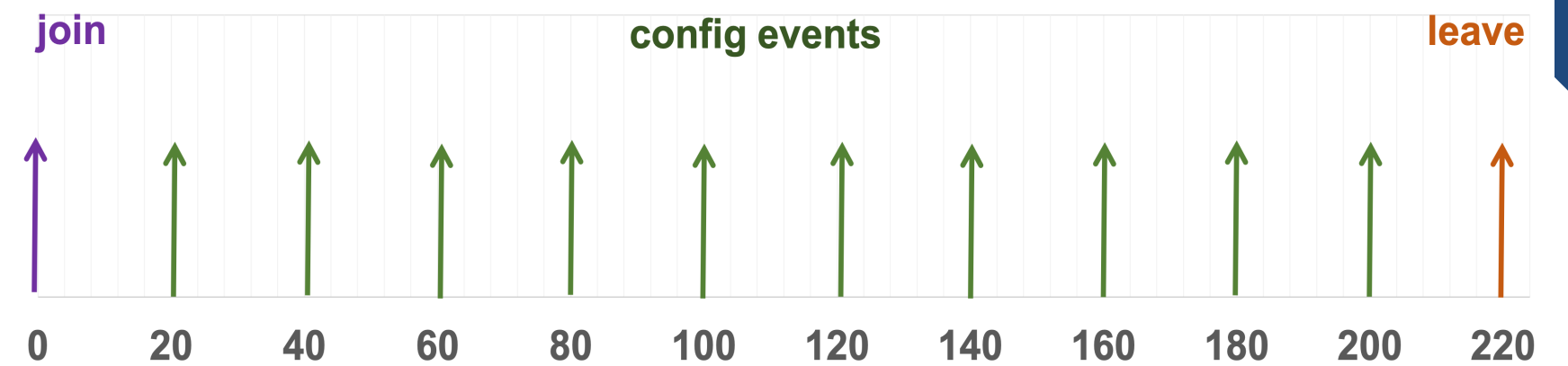
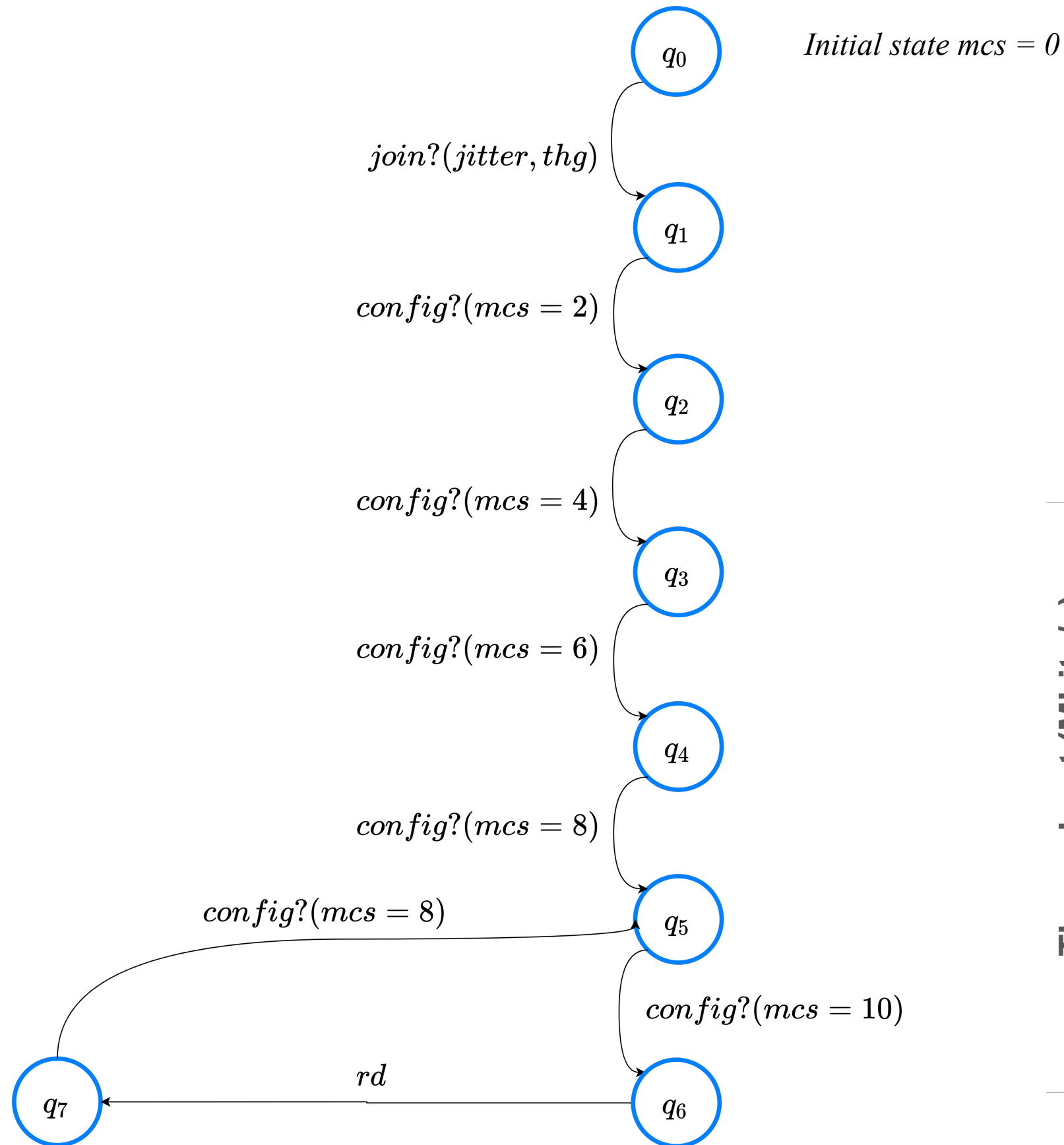
Construction of the learned automaton



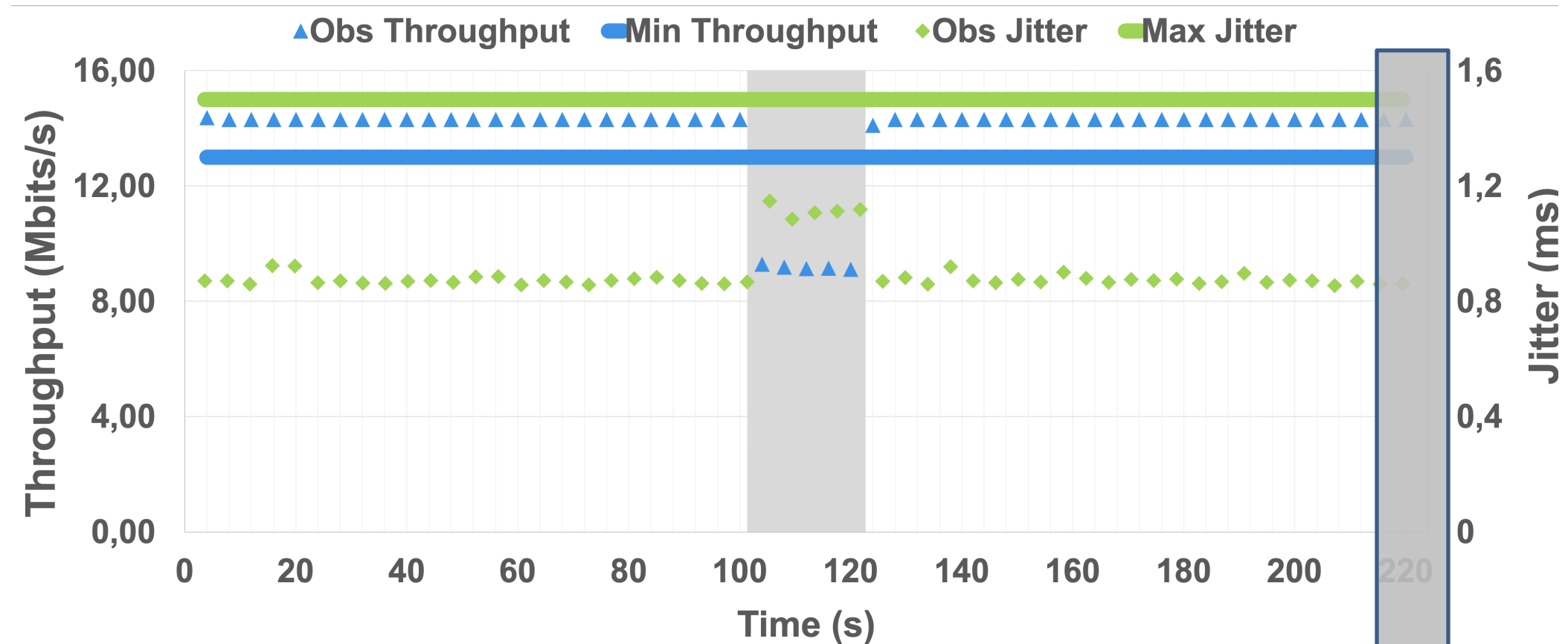
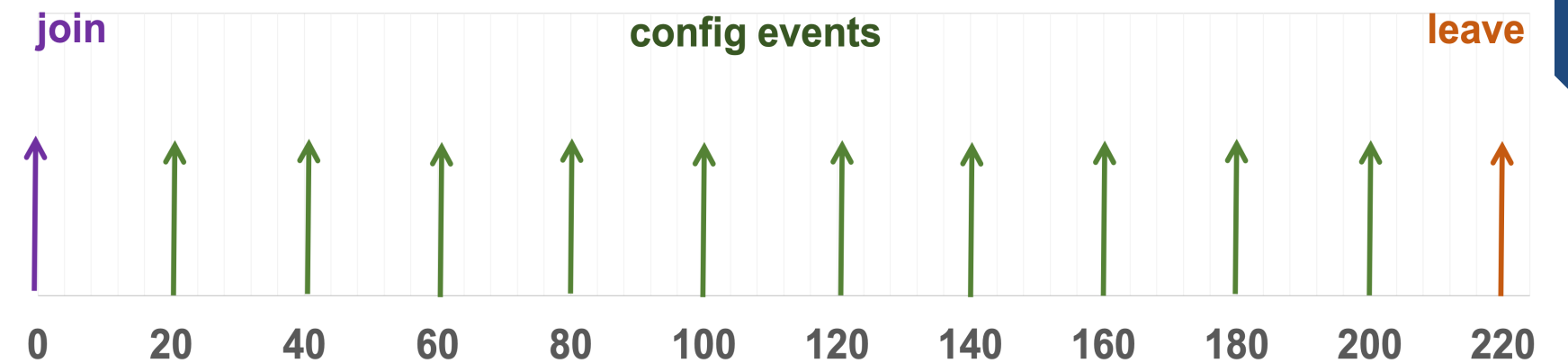
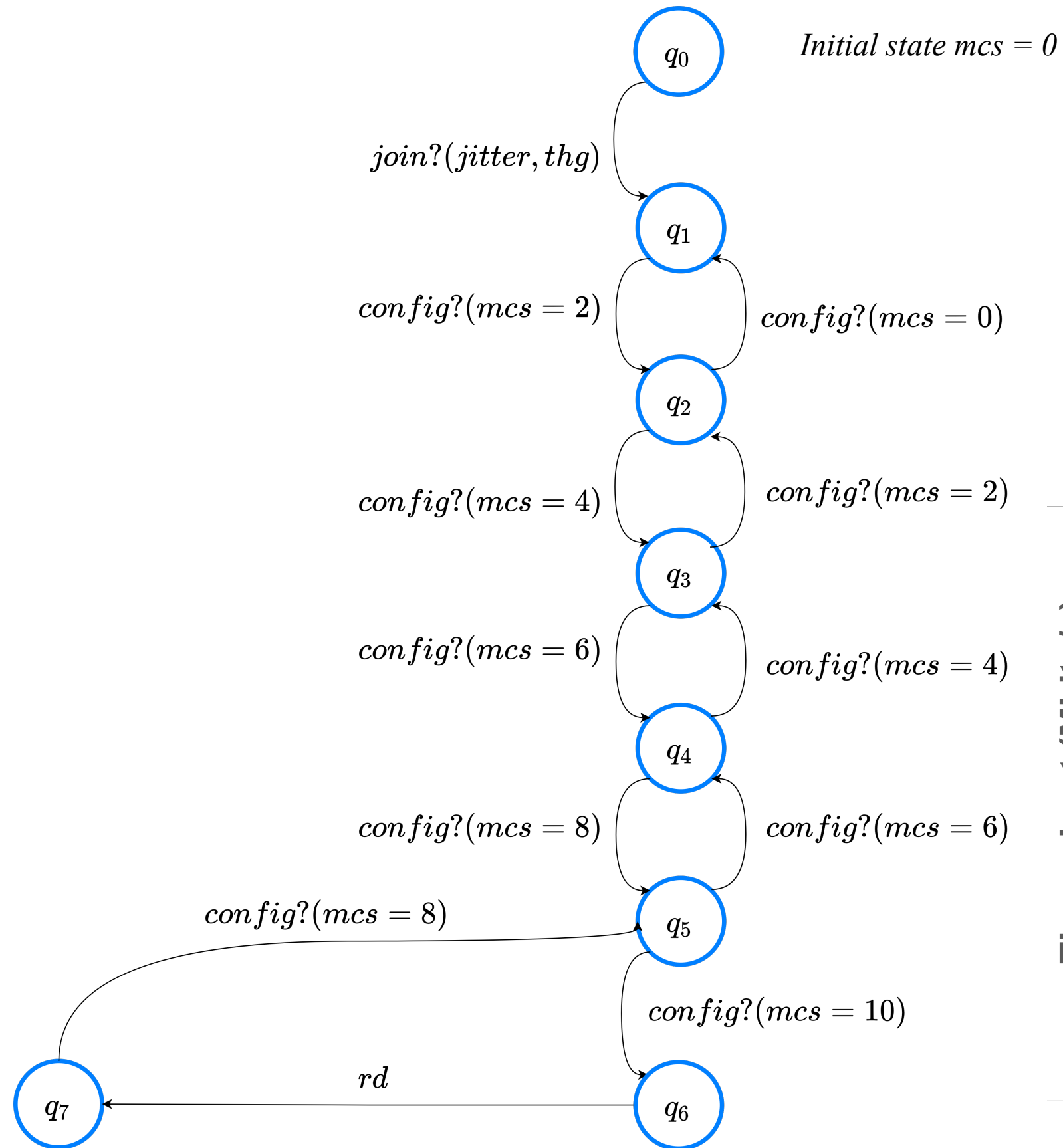
Construction of the learned automaton



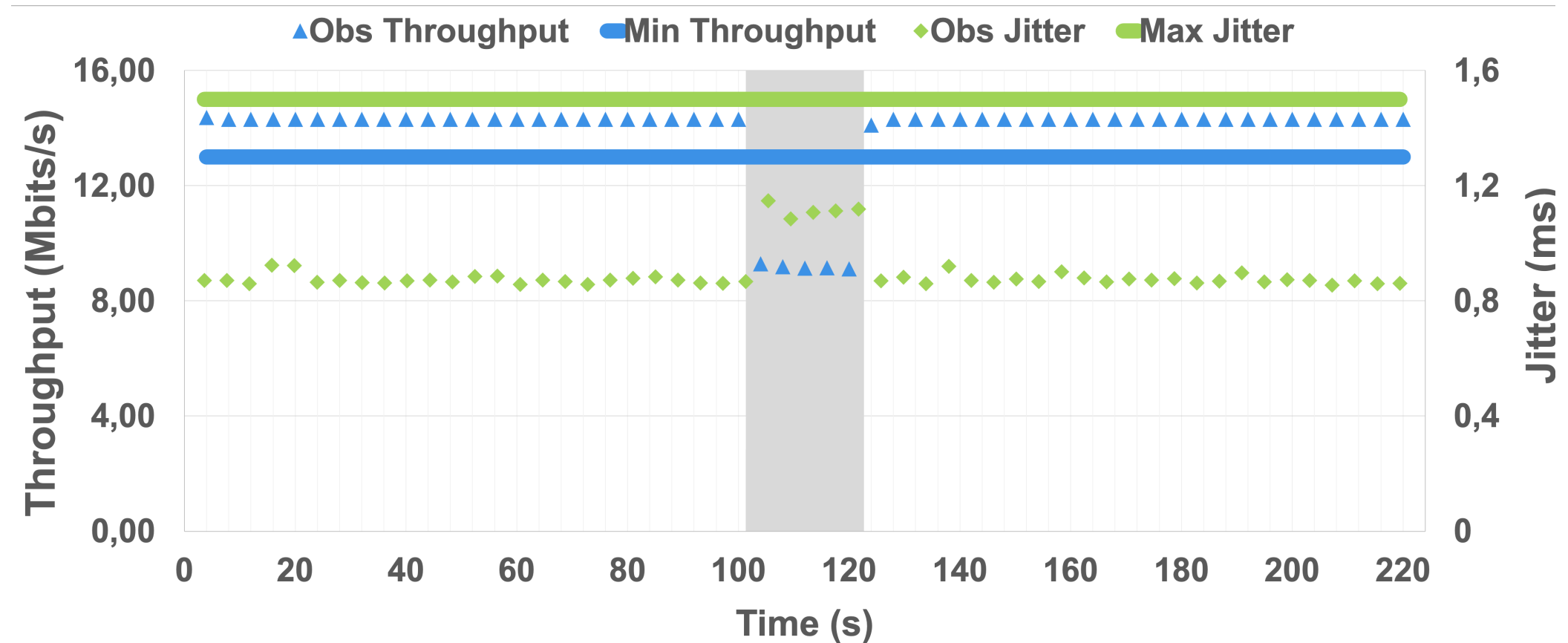
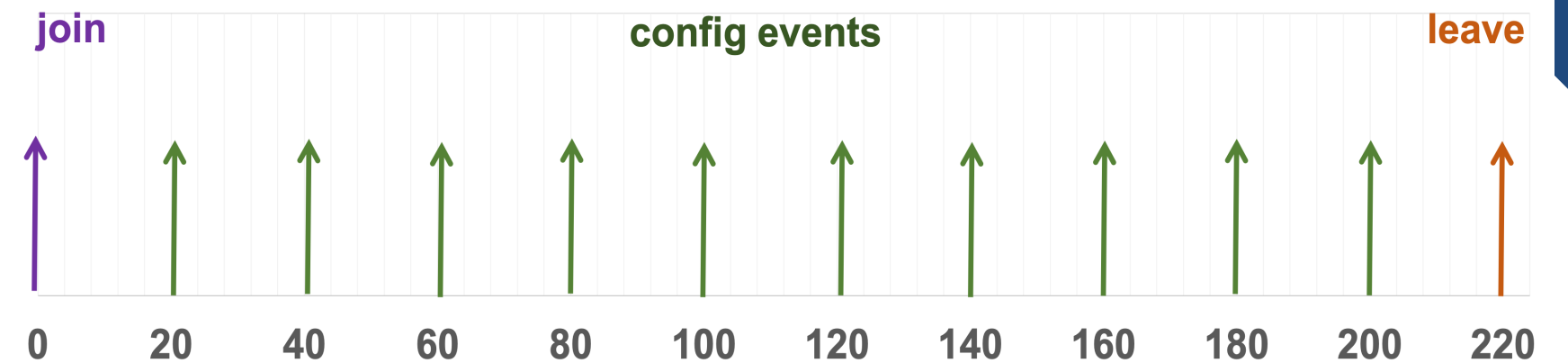
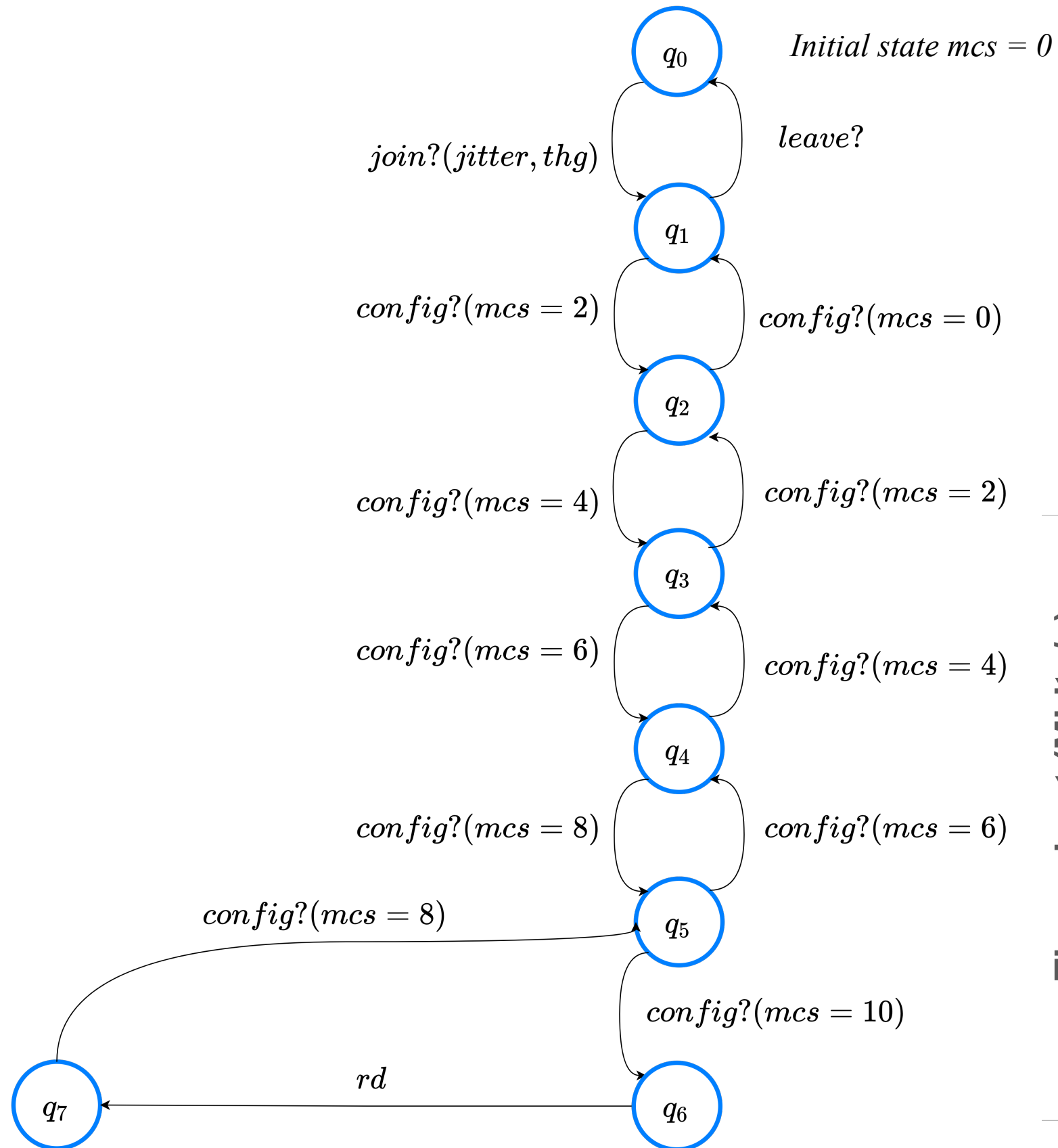
Construction of the learned automaton



Construction of the learned automaton

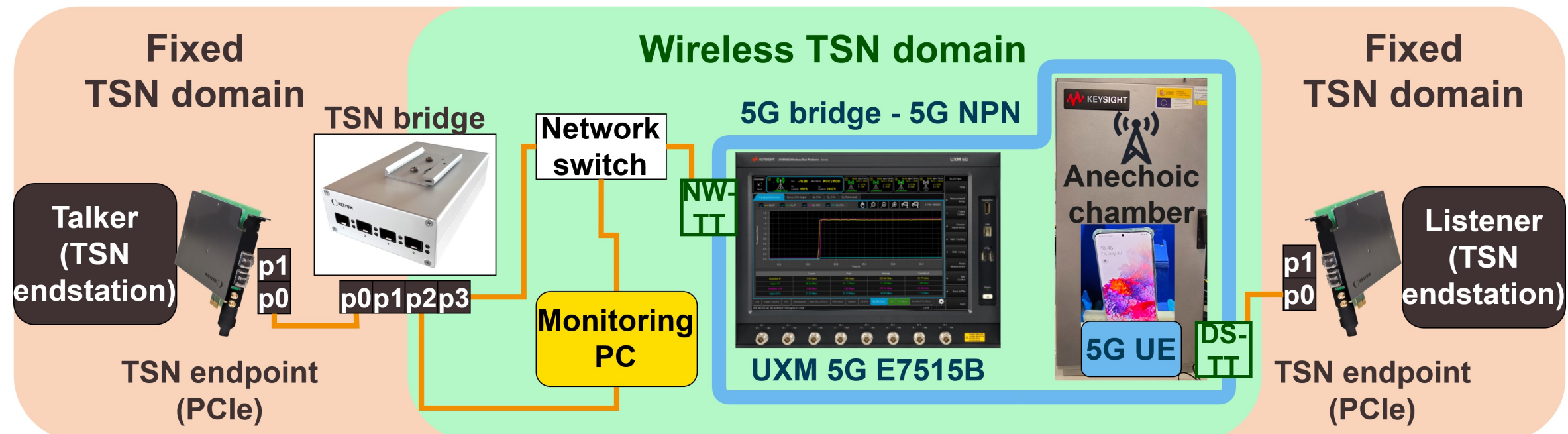


Construction of the learned automaton



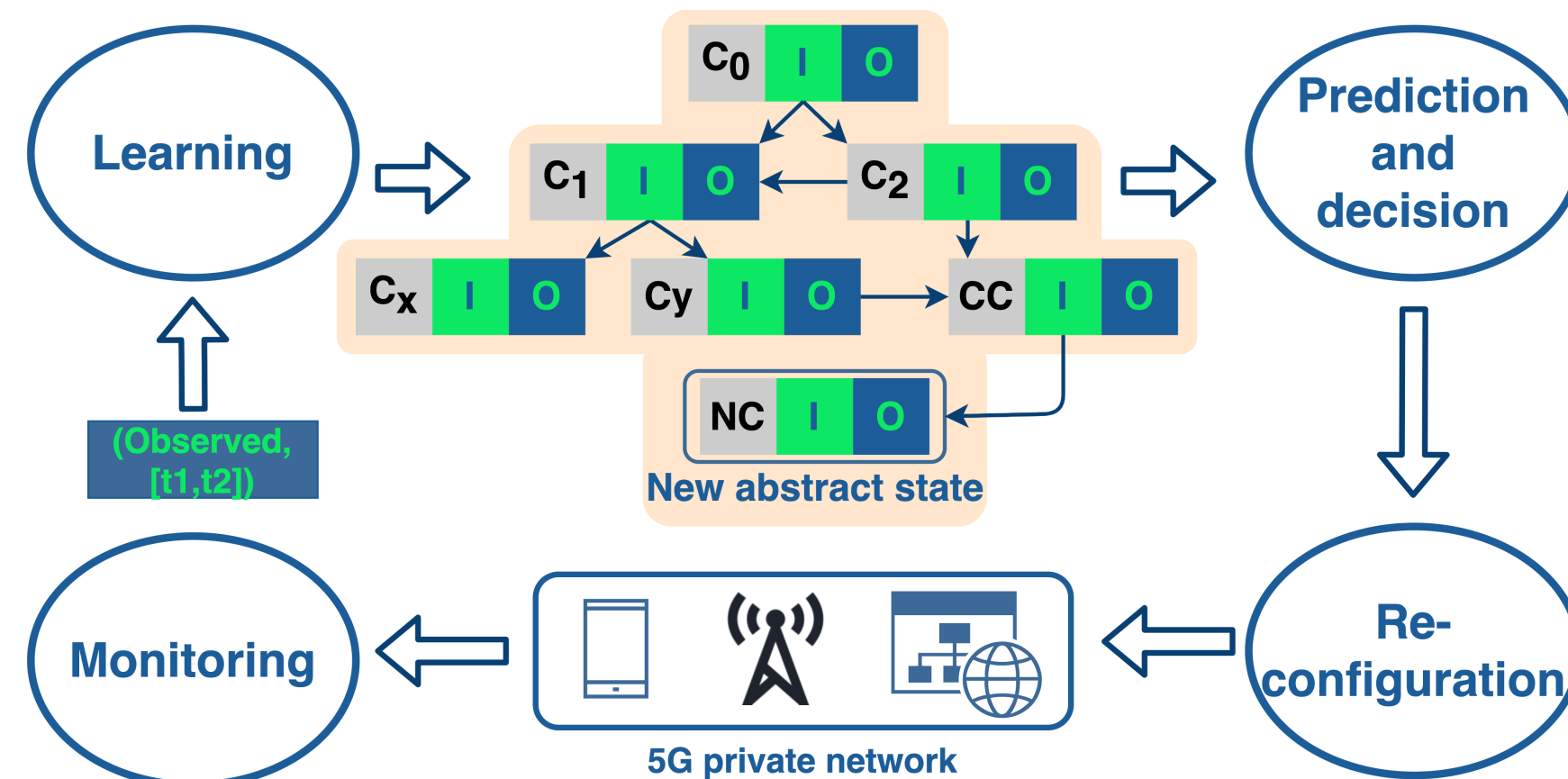
Experiments

- Learning algorithm implemented in Scala and Monitoring module with C
- Experiments:
 - Several hours over a realistic network
 - Considering only 2 endpoints
 - KPIs considered: throughput and jitter
 - Configuration parameters considered: **MCS**, PRB and Transmission Power
- Results:
 - Network traffic can be processed by the learning module to produce an automaton on real-time



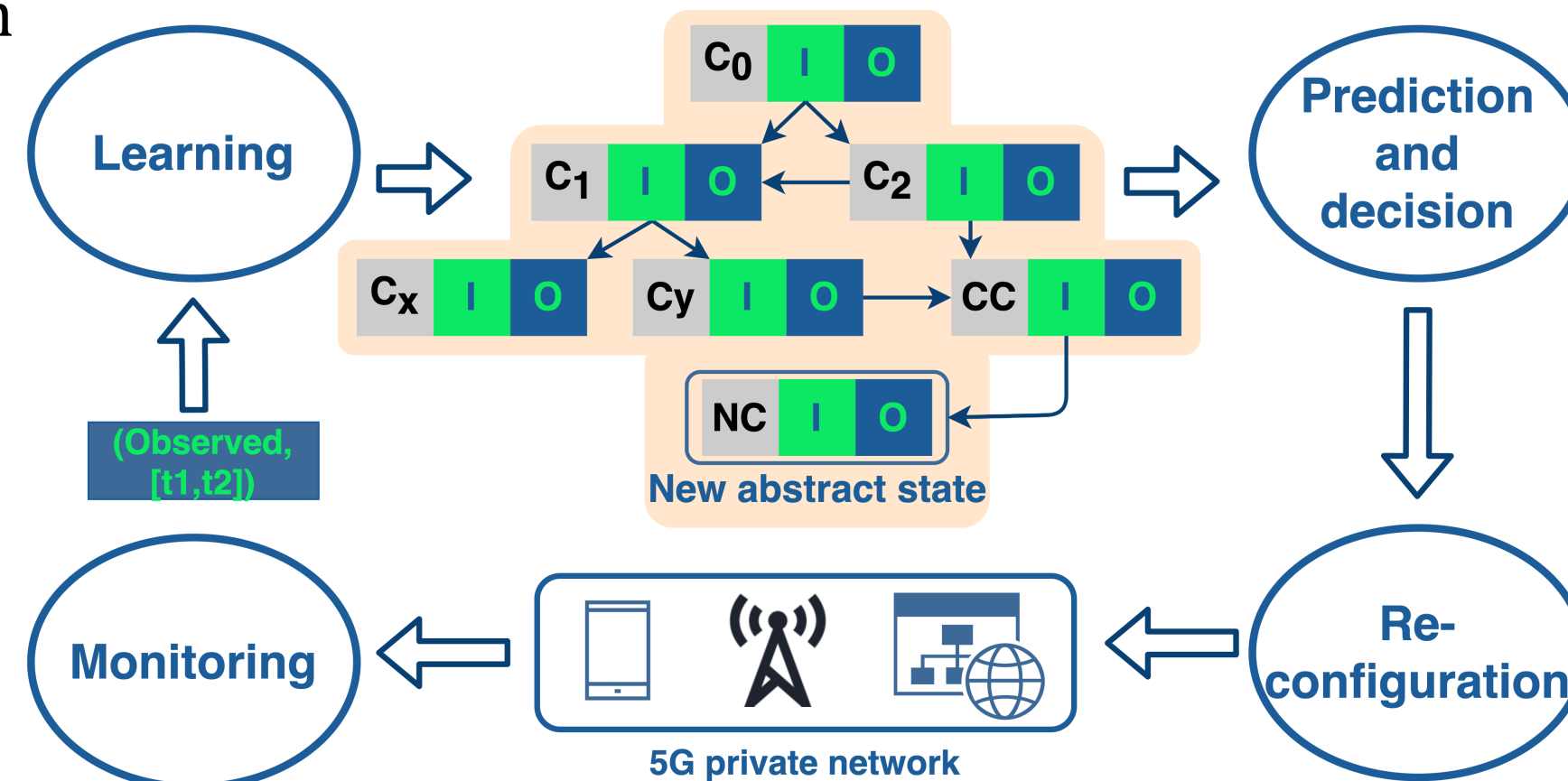
Conclusions & Future Work

- The implementation in Scala of the algorithm can process the network captures in real-time
- Learning automaton generates a model bounded mainly by the number of the network configurations



Conclusions & Future Work

- Extend the testbed:
 - Obtain traces with multiple TSN endpoints
 - Define new synchronization mechanisms between the 5G and the TSN network domains
- Extend the *Learn* algorithm:
 - Any number of configuration parameters and KPIs
 - Produce one/several automaton that represents complex scenarios
- Support real-time prediction and re-configuration features based on the learned automaton



Thank you!



Any questions?

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